# CSc 372 - Comparative Programming Languages 

31 : Icon - Data Structures<br>Christian Collberg<br>Department of Computer Science<br>University of Arizona<br>collberg+372@gmail.com

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## 1 Data Structures

- Icon has built-in support for records, lists, tables, and sets.
- These data structures can be freely combined, so that it is easy to construct a list of tables of sets, ....


## Records

## 2 Records

- Records and procedures are the only declarations in Icon. They must be declared at the outermost (global) level:

```
record name(field1,field2,...)
```

- You don't give the types of the fields, just their names.
- type (X), where $X$ is a record variable, will return the name (a string) of the record type.
- If $R$ is a record variable, R.field1 references the field whose name is field1.


## 3 Complex Arithmetic Module

```
record complex(re, im)
procedure add(a,b)
    return complex(a.re+b.re, a.im+b.im)
end
```

```
procedure main ()
    local x, r, i
    x := complex(5, 4)
    y := complex (1,2)
    z := add(x,y)
    r := z.re # or r := z[1]
    i := z.im # or r := z[2]
    t := type(z) # t="complex"
end
```


## Lists

## 4 Lists

- Lists are a built-in Icon datatype. Lists can be accessed from the beginning (the way you would in LISP, Prolog, etc), the end, or indexed (the way you would access an array in Pascal).
- Lists can be heterogeneous, they can contain elements of different type.
$\mathrm{x}:=$ ["hello", $1,3.14$, "x", "y"] A list of a string, an integer, a float, and two strings.
y := list(5, "hej") A list of five strings: ["hej", ...,"hej"].
$\mathrm{x}[2: 4]$ The list consisting of the second, third, and fourth element of x .


## 5 Lists vs. Strings

- Lists are indexed in the same way as strings:

- Strings are immutable. This means that when you assign to an element of a string you actually get a new string as result.
- Lists are mutable. That is, when you assign to an element of a list, the list actually changes.


## 6 List Operations

s := list() Create an empty list.
$\mathrm{s}:=$ list( n ) Create a list of n nulls.
$\mathrm{s}:=$ list ( $\mathrm{n}, \mathrm{v}$ ) Create a list of n vs.
$\mathrm{s}:=$ *x Number of elements of x .
x ||| y Concatenate x and y.
!x Generate all elements of the list, in order, as in every $\mathrm{X}:=\mathrm{I}$ do write(X).

## 7 Examples

][ L := list(5,10);
r1 := L1: $[10,10,10,10,10]$ (list)
][ L[2] := 42;
] [ L;
r3 := L1: $[10,42,10,10,10]$
][ L := [1, 2, 3, 4, 5];
] [ L[1:3];

```
    r5 := L1:[1,2]
][ L[0:-3];
    r6 := L1: [3,4,5]
][ every i := !L do write(i);
1
2
3
4
5
```


## 8 List Operations...

x \|\| y Concatenate x and y .
put ( $x, 67$ ) Add 67 to the end of the list $x$.
get ( x ) Remove and return the last element of x .
push ( $\mathrm{x}, 1024$ ) Add a new element to the beginning of x .
pop(x) Remove and return the first element of $x$.
! x Generate all elements of the list, in order, as in every $\mathrm{X}:=\mathrm{I}$ do write(X).
?x Return a random element from list.
$x===y$ Succeed if $x$ and $y$ are the same string.
$x^{\sim}===y$ Succeed if $x$ and $y$ are different strings.

## 9 Examples

```
][ L := [[1, 2], [3,4], [5,6]];
][ L[2,1] := 42;
][ L;
    r3 := L1:[L2:[1,2],L3:[42,4],L4:[5,6]]
][ x := pop(L);
] [ x;
    r5 := L1:[1,2] (list)
][ L;
    r6 := L1:[L2:[42,4],L3:[5,6]]
][ L := [1,2,3,4,5];
][ every !L :=: ?L;
][ L;
    r9 := L1:[2,1,5,3,4]
```


## 10 Fibonacci

```
procedure main()
```

    n := 20
    f := [1, 1]
    repeat \{
        i : \(=\operatorname{get}(f)\)
    ```
        if i>n then break
        write(i)
        put(f,i+f[1])
    }
end
```


## 11 Prime Sieve

```
procedure main()
    n := 100
    p := list(n,1)
    every i := 2 to sqrt(n) do
        if p[i]=1 then
            every j := i+i to n by i do
            p[j] := 0
    every i := 2 to n do
        if p[i]=1 then
            write(i)
end
```


## Tables

## 12 Tables

- Tables are associative arrays, they map keys to values. Both values and keys can be of arbitrary type.


## 13 Table Operations

Tables are associative arrays, they map keys to values. Both values and keys can be of arbitrary type.
$\mathrm{x}:=\mathrm{table}(0)$ Create a new table x whose default value is 0 . This means that if you look up a key which has no correspoding value, 0 is returned.
*x Number of elements in the table.
?x An arbitrary element from the table.
keys ( x ) Generate all keys in x , one at a time.
!x Generate all values, one at a time.

```
every X := keys(T) do
    write(X, " ==> ", T[X])
```


## 14 Examples

```
x["monkey"] := "banana"
x[3.14] := "pi"
x["pi"] := 3.14
x["pi"] +:= 1 Increment pi by 1
r := x["coconut"] r will be 0
member(x, 3.14) returns "pi"
member(x, "banana") fails
insert(x, "banana", 5) x["banana"]:= 5
delete(x, "monkey") remove "monkey"
every m := key(x) do write(m) write keys
every m := !x do write(m) write values
```


## Sets

## 15 Sets

- Sets are unordered collections of elements.
- set() creates an empty set.
- set (L) creates a set from a list of elements.
- All the standard set-operations (intersection, etc.) are built-in.


## 16 Set Operations

```
x := set([5, 3, "monkey"]) Create a 3-element set from a list.
member(x, 5) returns 5
member(x, "banana") fails
insert(x, "banana") add "banana" to x
delete(x, 5) returns the set {3, "banana", "monkey"}
*x number of elements (3)
?x random element from x
!x generate the elements
```


## 17 Set Operations

$\mathrm{S}:=\mathrm{S} 1$ op S 2 set union (op=++), intersection (op=**), difference (op=--).
while insert(S, read(f)) Read elements from file $f$ into set $S$

## 18 Prime Sieve

```
procedure main()
    n := 100
    p := set()
    every i:=2 to n do insert(p,i)
    every i := 2 to sqrt(n) &
            member(p,i) &
            j := i+i to n by i do
                    delete(p,j)
    every i := 2 to n & member(p,i) do
        write(i)
end
```


## Binary Trees

## 19 Binary Trees in Icon

```
link ximage
record node (item,left,right)
procedure Preorder (T)
        if \T then {
            write(T.item);
            Preorder(T.left); Preorder(T.right)}
end
procedure main()
    t := node(1, node(2, &null, &null),
                    node(3, &null,
                    node(4, &null, &null)))
    Preorder(t); xdump(t)
end
```


## 20 Binary Trees in Icon. . .

```
icont b
b
1
2
3
4
R_node_4 := node()
    R_node_4.item := 1
    R_node_4.left := R_node_1 := node()
        R_node_1.item := 2
    R_node_4.right := R_node_3 := node()
            R_node_3.item := 3
            R_node_3.right := R_node_2 := node()
                R_node_2.item := 4
```


## 21 Readings and References

- Read Christopher, pp 29--34,105--126.


## 22 Acknowledgments

- Some material on these slides has been modified from Thomas W Christopher's Icon Programming Language Handbook, http://www.tools-of-computing.com/tc/CS/iconprog.pdf.

