

Outline

- 1 Introduction
- 2 Identifier renaming
- 3 Complicating control flow
 - Inserting bogus control-flow
 - Control-flow flattening
 - Opaque values from array aliasing
 - Jumps through branch functions
- 4 Opaque Predicates
 - Opaque predicates from pointer aliasing
- 5 Data encodings
- 6 Dynamic Obfuscation
 - Self-Modifying State Machine
 - Code as key material
- 7 Discussion

Code obfuscation — It's elusive!

- Hard to pin down exactly **what** obfuscation is
- Hard to devise practically useful **algorithms**
- Hard to **evaluate** the quality of these algorithms.

Code obfuscation — what is it?

- Informally, to obfuscate a program P means to transform it into a program P' that is still executable but for which it is hard to extract information.
- “Hard?” \Rightarrow Harder than before!
- **static obfuscation** \Rightarrow obfuscated programs that remain fixed at runtime.
 - tries to thwart static analysis
 - attacked by dynamic techniques (debugging, emulation, tracing).
- **dynamic obfuscators** \Rightarrow transform programs continuously at runtime, keeping them in constant flux.
 - tries to thwart dynamic analysis

Code obfuscation — Overview

- 1 Simple obfuscating transformations.
- 2 How to design an **obfuscation tool**.
- 3 Definitions.
- 4 Control-flow transformations.
- 5 Data transformations.
- 6 Abstraction transformations.
- 7 Constructing opaque predicates.
- 8 Dynamic obfuscating transformations.

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Algorithm OBF^{TP}: Identifier renaming

- **Java released 1996**:
 - decompilation is easy!
 - compiled code \Leftrightarrow source!
- Hans Peter Van Vliet
 - 1 released Crema a Java **obfuscator**.
 - 2 released Mocha Java **decompiler**.
 - 3 RIP
- It's an obfuscator/decompiler war!
 - 1 **HoseMocha** kills Mocha (add an instruction after return);
 - 2 Rename identifiers using characters that are legal in the JVM, but not in Java source.

Renaming Example

```
int modexp(
    int y,int x[],
    int w,int n) {
    int R, L;
    int k = 0;
    int s = 1;
    while (k < w) {
        if (x[k] == 1)
            R = (s*y)%n;
        else
            R = s;
        s = R*R%n;
        L = R;
        k++;
    }
    return L;
}

int f1(
    int x1,int x2[],
    int x3,int x4) {
    int x5, x6;
    int x7 = 0;
    int x8 = 1;
    while (x7 < x3) {
        if (x2[x7] == 1)
            x5 = (x8*x1)%x4;
        else
            x5 = x8;
        x8 = x5*x5%x4;
        x6 = x5;
        x7++;
    }
    return x6;
}
```

Identifier renaming

- Historical interest.
- Decompiler can't recover information which has been removed!
- Identifier renaming \Rightarrow no performance overhead!

Algorithm OBF^{TP}

- In an object-oriented language:
 - Use overloading!
 - Give as many declarations as possible the same name!
- Algorithm by Paul Tyma:



- Used in PreEmptive Solutions' Dash0 Java obfuscator.
- Licensed by Microsoft for Visual Studio

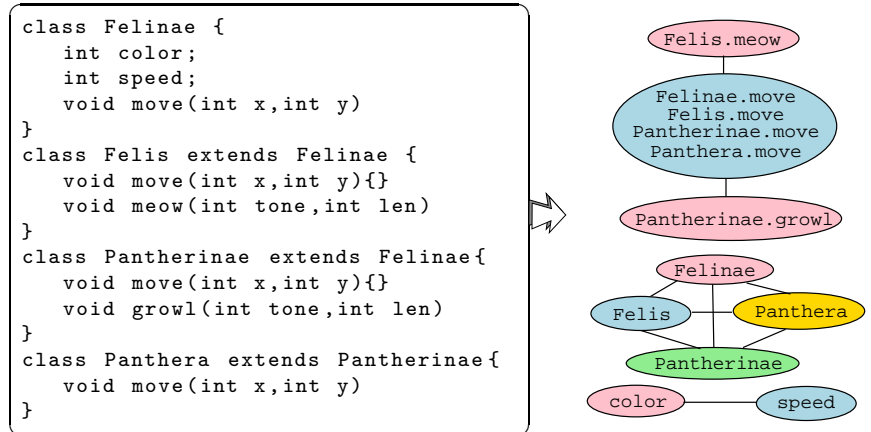
Algorithm OBF^{TP}

- Java naming rules:
 - 1 Class names should be globally unique,
 - 2 Field names should be unique within classes
 - 3 Methods with different signatures can have the same name.
- Algorithm
 - 1 Build a graph:
 - nodes are declarations
 - edges between nodes that cannot have the same name
 - 2 Merge methods that must have the same name (because they override each other) into super-nodes.
 - 3 Color the graph with the smallest number of colors (=names)!

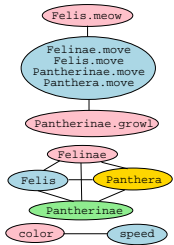
Algorithm OBF^{TP}: Original program

```
class Felinae {
    int color;
    int speed;
    public void move(int x,int y){}
}
class Felis extends Felinae {
    public void move(int x,int y){}
    public void meow(int tone,int length){}
}
class Pantherinae extends Felinae {
    public void move(int x,int y){}
    public void growl(int tone,int length){}
}
class Panthera extends Pantherinae {
    public void move(int x,int y){}
}
```

Algorithm OBF^{TP}: Interference graph



Algorithm OBF^{TP}: Renamed program



```
class Pink {
    int Pink;
    int Blue;
    public void Blue(int x,int y){}
}
class Blue extends Pink {
    public void Blue(int x,int y){}
    public void Pink(int tone,int len){}
}
class Green extends Pink {
    public void Blue(int x,int y){}
    public void Pink(int tone,int len){}
}
class Yellow extends Green {
    public void Blue(int x,int y){}
}
```

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Complicating control flow

- Transformations that make it difficult for an adversary to analyze the flow-of-control:
 - 1 insert bogus control-flow,
 - 2 flatten the program
 - 3 hide the targets of branches to make it difficult for the adversary to build control-flow graphs
- None of these transformations are immune to attacks,

Opaque Expressions

- Simply put:

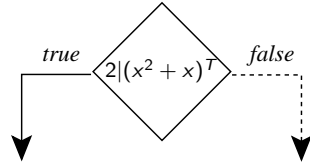
an expression whose value is known to you as the defender (at obfuscation time) but which is difficult for an attacker to figure out
- Notation:
 - P^T for an *opaquely true* predicate
 - P^F for an *opaquely false* predicate
 - $P^?$ for an *opaquely indeterminate* predicate
 - E^v for an *opaque* expression of value v
- Graphical notation:



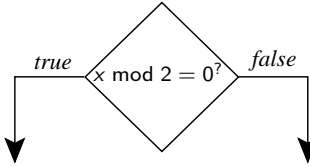
- Building blocks for many obfuscations.

Opaque Expressions

- An opaquely true predicate:



- An opaquely indeterminate predicate:



Complicating control flow

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Simple Opaque Predicates

- Look in number theory text books, in the *problems* sections:
“Show that $\forall x, y \in \mathbb{Z} : p(x, y)$ ”

- $\forall x, y \in \mathbb{Z} : x^2 - 34y^2 \neq 1$
- $\forall x \in \mathbb{Z} : 2|x^2 + x$
- ...

Complicating control flow

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Algorithm $\text{OBFCTJ}_{\text{bogus}}$: Inserting bogus control-flow

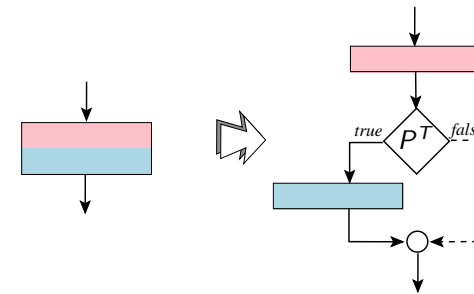
- Insert *bogus* control-flow into a function:
 - 1 dead branches which will never be taken
 - 2 superfluous branches which will *always* be taken
 - 3 branches which will sometimes be taken and sometimes not, but where this doesn't matter
- The resilience reduces to the resilience of the opaque predicates.

Complicating control flow

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Algorithm $\text{OBFCTJ}_{\text{bogus}}$: Inserting bogus control-flow

- It seems that the blue block is only sometimes executed:

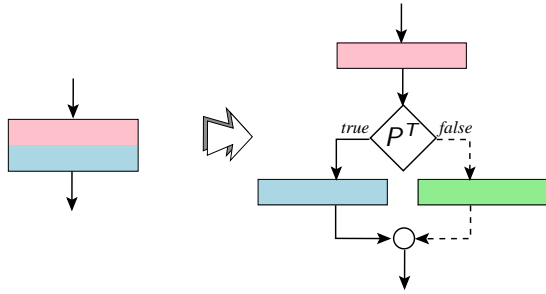


Complicating control flow

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Algorithm $\text{OBFCTJ}_{\text{bogus}}$: Inserting bogus control-flow

- A bogus block (green) appears as it might be executed while, in fact, it never will:

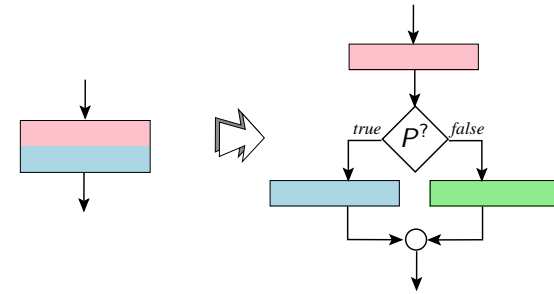


Complicating control flow

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Algorithm $\text{OBFCTJ}_{\text{bogus}}$: Inserting bogus control-flow

- Sometimes execute the blue block, sometimes the green block.
- The green and blue blocks should be semantically equivalent.

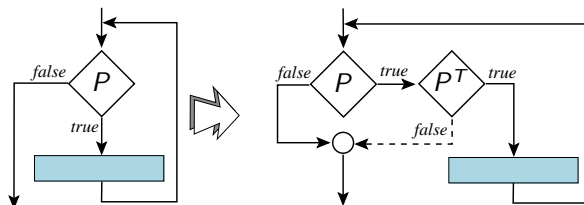


Complicating control flow

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Algorithm $\text{OBFCTJ}_{\text{bogus}}$: Inserting bogus control-flow

- Extend a loop condition P by conjointing it with an opaquely true predicate P^T :

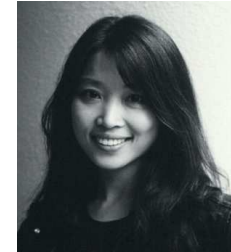


Complicating control flow

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Algorithm OBFWHKD : Control-flow flattening

- Removes the control-flow *structure* of functions.
- Put each basic block as a case inside a switch statement, and wrap the switch inside an infinite loop.
- Known as *chenxify*, *chenxification*, after Chenxi Wang:



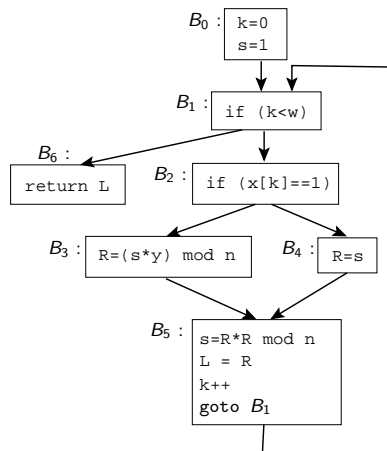
Complicating control flow

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```

int modexp(int y,int x[],
          int w,int n) {
    int R, L;
    int k = 0;
    int s = 1;
    while (k < w) {
        if (x[k] == 1)
            R = (s*y) % n;
        else
            R = s;
        s = R*R % n;
        L = R;
        k++;
    }
    return L;
}

```

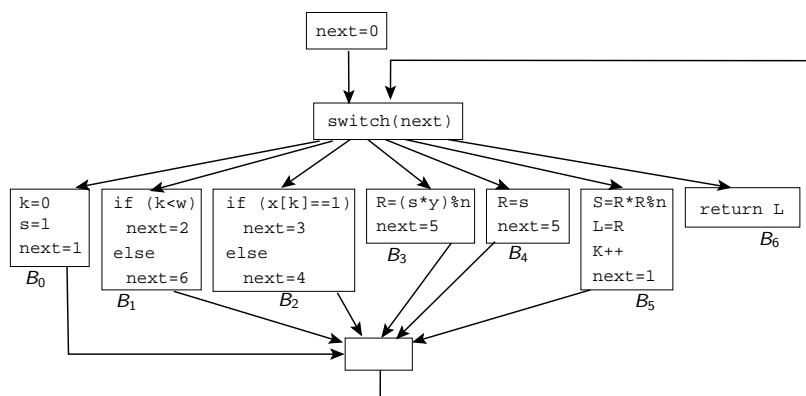


```

int modexp(int y, int x[], int w, int n) {
    int R, L, k, s;
    int next=0;
    for(;;)
        switch(next) {
            case 0 : k=0; s=1; next=1; break;
            case 1 : if (k<w) next=2; else next=6; break;
            case 2 : if (x[k]==1) next=3; else next=4; break;
            case 3 : R=(s*y)%n; next=5; break;
            case 4 : R=s; next=5; break;
            case 5 : s=R*R%n; L=R; k++; next=1; break;
            case 6 : return L;
        }
}

```

Performance penalty



- Replacing 50% of the branches in three SPEC programs slows them down by a factor of 4 and increases their size by a factor of 2.
- Why?
 - 1 The for loop incurs one jump,
 - 2 the switch incurs a bounds check the next variable,
 - 3 the switch incurs an indirect jump through a jump table.
- Optimize?
 - 1 Keep tight loops as one switch entry.
 - 2 Use gcc's **labels-as-values** ⇒ a jump table lets you jump directly to the next basic block.

- Attack against Chenxification:
 - 1 Work out what the next block of every block is.
 - 2 Rebuild the original CFG!
- How does an attacker do this?
 - 1 use-def data-flow analysis
 - 2 constant-propagation data-flow analysis

```
int modexp(int y, int x[], int w, int n) {
    int R, L, k, s;
    int next=E=0;
    for (;;)
        switch(next) {
            case 0 : k=0; s=1; next=E=1; break;
            case 1 : if (k<w) next=E=2; else next=E=6; break;
            case 2 : if (x[k]==1) next=E=3; else next=E=4;
                    break;
            case 3 : R=(s*y)%n; next=E=5; break;
            case 4 : R=s; next=E=5; break;
            case 5 : s=R*R%n; L=R; k++; next=E=1; break;
            case 6 : return L;
        }
}
```

```
int modexp(int y, int x[], int w, int n) {
    int R, L, k, s;
    int next=0;
    int g[] = {10,9,2,5,3};
    for (;;)
        switch(next) {
            case 0 : k=0; s=1; next=g[0]%g[1]=1; break;
            case 1 : if (k<w) next=g[g[2]]=2;
                    else next=g[0]-2*g[2]=6; break;
            case 2 : if (x[k]==1) next=g[3]-g[2]=3;
                    else next=2*g[2]=4; break;
            case 3 : R=(s*y)%n; next=g[4]+g[2]=5; break;
            case 4 : R=s; next=g[0]-g[3]=5; break;
            case 5 : s=R*R%n; L=R; k++; next=g[g[4]]%g[2]=1;
                    break;
            case 6 : return L;
        }
}
```

A function that rotates an array one step right:

```
void permute(int g[], int n, int * m) {
    int i;
    int tmp=g[n-1];
    for(i=n-2; i>=0; i--) g[i+1] = g[i];
    g[0]=tmp;
    *m = ((*m)+1)%n;
}
```

- Make static array aliasing analysis harder for the attacker!
- Modify the array at runtime!

Make the array global!

```
int modexp(int y, int x[], int w, int n) {
    int R, L, k, s;
    int next=0;
    int m=0;
    int g[] = {10,9,2,5,3};
    for (;;) {
        switch(next) {
            case 0 : k=0; s=1; next=g[(0+m)%5]*g[(1+m)%5]; break;
            case 1 : if (k<w) next=g[(g[(2+m)%5]+m)%5];
                    else next=g[(0+m)%5]-2*g[(2+m)%5]; break;
            case 2 : if (x[k]==1) next=g[(3+m)%5]-g[(2+m)%5];
                    else next=2*g[(2+m)%5]; break;
            case 3 : R=(s*y)%n; next=g[(4+m)%5]+g[(2+m)%5]; break;
            case 4 : R=s; next=g[(0+m)%5]-g[(3+m)%5]; break;
            case 5 : s=R*R%n; L=R; k++;
                    next=g[(g[(4+m)%5]+m)%5]*g[(2+m)%5]; break;
            case 6 : return L;
        }
        permute(g,5,&m);
    }
}
```

```
int g[20]; int m;
int modexp(int y, int x[], int w, int n) {
    int R, L, k, s; int next=0;
    for (;;)
        switch(next) {
            case 0 : k=0; s=1; next=g[m+0]*g[m+1]; break;
            case 1 : if (k<w) next=g[m+g[m+2]];
                    else next=g[m+0]-2*g[m+2]; break;
            case 2 : if (x[k]==1) next=g[m+3]-g[m+2];
                    else next=2*g[m+2]; break;
            case 3 : R=(s*y)%n; next=g[m+4]+g[m+2]; break;
            case 4 : R=s; next=g[m+0]-g[m+3]; break;
            case 5 : s=R*R%n; L=R; k++;
                    next=g[m+g[m+4]]*g[m+2]; break;
            case 6 : return L;
        }
}
```

Complicating control flow

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Sprinkle pointer variables (pink), pointer manipulations (blue), dead code (green) over the program:

With the array global you can initialize it differently at different call sites:

```
g[0]=10; g[1]=9; g[2]=2; g[3]=5; g[4]=3; m=0;
modexp(y, x, w, n);
...
g[5]=10; g[6]=9; g[7]=2; g[8]=5; g[9]=3; m=5;
modexp(y, x, w, n);
```

```
int modexp(int y, int x[], int w, int n) {
    int R, L, k, s; int next=0;
    int g[] = {10,9,2,5,3,42}; int *g2; int *gr;
    for (;;)
        switch(next) {
            case 0 : k=0; g2=&g[2]; s=1; next=g[0]*g[1];
                    gr=&g[5]; break;
            case 1 : if (k<w) next=g[*g2];
                    else next=g[0]-2*g[2]; break;
            case 2 : if (x[k]==1) next=g[3]-*g2;
                    else next=2**g2; break;
            case 3 : R=(s*y)%n; next=g[4]+*g2; break;
            case 4 : R=s; next=g[0]-g[3]; break;
            case 5 : s=R*R%n; L=R; k++; next=g[g[4]]*g2; break;
            case 6 : return L;
            case 7 : *g2=666; next=*gr%2; gr=&g[*g2]; break;
        }
}
```

- Hopefully, because of the obfuscated manipulations the attacker's static analysis will conclude that nothing can be deduced about `next`.
- Not knowing `next`, he can't rebuild the CFG.
- Symbolic execution? We know `next` starts at 0...

0	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16	17	18
36	58	1	46	23	5	16	65	2	41	2	7	1	37	0	11	16	2	21

Invariants:

- 1 every third cell (in pink), starting with cell 0, is $\equiv 1 \pmod{5}$;
- 2 cells 2 and 5 (green) hold the values 1 and 5, respectively;
- 3 every third cell (in blue), starting with cell 1, is $\equiv 2 \pmod{5}$;
- 4 cells 8 and 11 (yellow) hold the values 2 and 7, respectively.

You can update a pink element as often as you want, with any value you want, as long as you ensure that the value is always $\equiv 1 \pmod{5}$!

```
int g[] = {36,58,1,46,23,5,16,65,2,41,
           2,7,1,37,0,11,16,2,21,16};

if ((g[3] % g[5]) == g[2])
    printf("true!\n");

g[5] = (g[1]*g[4])%g[11] + g[6]%g[5];
g[14] = rand();
g[4] = rand()*g[11]+g[8];

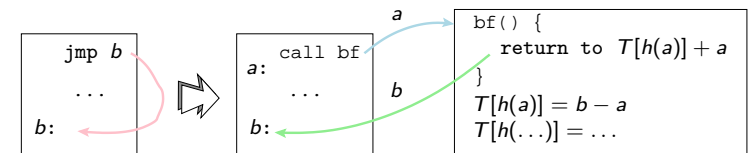
int six = (g[4] + g[7] + g[10])%g[11];
int seven = six + g[3]%g[5];
int fortytwo = six * seven;
```

- pink: opaque true predicate.
- blue: `g` is constantly changing at runtime.
- green: an opaque value 42.

Initialize `g` at runtime!

OBF^{LDK}: Jumps through branch functions

- Replace unconditional jumps with a call to a **branch function**.
- Calls normally return to where they came from... But, a branch function returns to the target of the jump!



OBFLDK: Make branches explicit

```
int modexp(int y,int x[],
           int w,int n) {
    int R, L;
    int k = 0; int s = 1;
    while (k < w) {
        if (x[k] == 1)
            R = (s*y) % n;
        else
            R = s;
        s = R*R % n;
        L = R;
        k++;
    }
    return L;
}
```



OBFLDK: Jumps through branch functions

- A table T stores

$$T[h(a_i)] = b_i - a_i.$$

- Code in pink updated the return address!
- The branch function:

```
char* T[2];
void bf() {
    char* old;
    asm volatile("movl 4(%%ebp),%0\n\t" : "=r" (old));
    char* new = (char*)((int)T[h(old)] + (int)old);
    asm volatile("movl %0,4(%%ebp)\n\t" : : "r" (new));
}
```

```
int modexp(int y, int x[], int w, int n) {
    int R, L; int k = 0; int s = 1;
    T[h(&&retaddr1)]=(char*)&&endif-&&retaddr1;
    T[h(&&retaddr2)]=(char*)&&beginloop-&&retaddr2;
    beginloop:
        if (k >= w) goto endloop;
        if (x[k] != 1) goto elsepart;
        R = (s*y) % n;
        bf(); // goto endif;
        retaddr1:
        asm volatile(".ascii \"bogus\"\n\t");
    elsepart:
        R = s;
    endif:
        s = R*R % n;
        L = R;
        k++;
        bf(); // goto beginloop;
        retaddr2:
    endloop:
    return L;
}
```

OBFLDK: Jumps through branch functions

- Designed to confuse disassembly.
- 39% of instructions are incorrectly assembled using a linear sweep disassembly.
- 25% for recursive disassembly.
- Execution penalty: 13%
- Increase in text segment size: 15%.

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Constructing opaque predicates

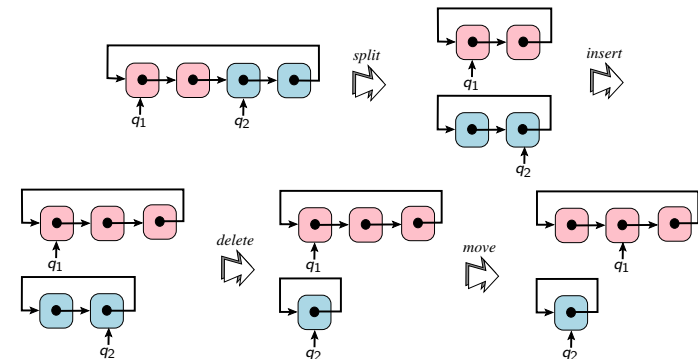
- Construct them based on
 - number theoretic results
 - $\forall x, y \in \mathbb{Z} : x^2 - 34y^2 \neq 1$
 - $\forall x \in \mathbb{Z} : 2|x^2 + x$
 - the hardness of alias analysis
 - the hardness of concurrency analysis
- Protect them by
 - making them hard to find
 - making them hard to break
- If your obfuscator keeps a table of predicates, your adversary will too!

Algorithm $\text{OBFCTJ}_{\text{alias}}$: Opaque predicates from pointer aliasing

- Create an obfuscating transformation from a known computationally hard static analysis problem.
- We assume that
 - 1 the attacker will analyze the program statically, and
 - 2 we can force him to solve a particular static analysis problem to discover the secret he's after, and
 - 3 we can generate an actual hard instance of this problem for him to solve.
- Of course, these assumptions may be false!

Algorithm $\text{OBFCTJ}_{\text{alias}}$

- Construct one or more heap-based graphs, keep pointers into those graphs, create opaque predicates by checking properties you know to be true.
- q_1 and q_2 point into two graphs G_1 (pink) and G_2 (blue):



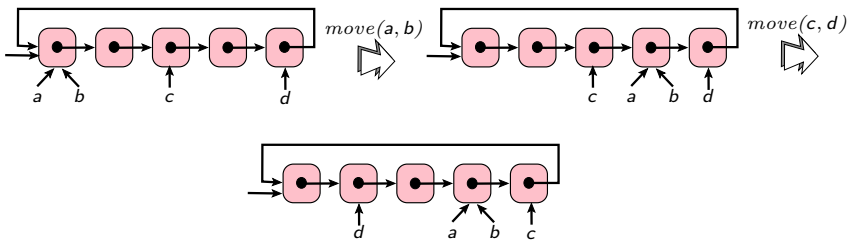
Algorithm $\text{OBFCTJ}_{\text{alias}}$

- Two invariants:
 - “ G_1 and G_2 are circular linked lists”
 - “ q_1 points to a node in G_1 and q_2 points to a node in G_2 .”
- Perform enough operations to confuse even the most precise alias analysis algorithm,
- Insert opaque queries such as $(q_1 \neq q_2)^T$ into the code.

Algorithm $\text{OBFCTJ}_{\text{pointer}}$: Opaque predicates from concurrency

- Concurrent programs are difficult to analyze statically: n statements in a parallel region can execute in $n!$ different orders.
- Construct opaque predicates based on the difficulty of analyzing the threading behavior of programs!
- Keep a global data structure G with a certain set of invariants I , to concurrently update G while maintaining I , and use I to construct opaque predicates over G

Opaque predicates from concurrency



Opaque predicates from concurrency

- Thread T_1 updates a and b , such that each time a is updated to point to its next node in the cycle, b is also updated to point to its next node in the cycle.
- Thread T_2 updates c and d .
- Opaquely true predicate $(a = b)^T$ is statically indistinguishable from an opaquely false predicate $(c = d)^F$!

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Data encodings

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Encoding literal data

- Literal data often carries much semantic information:
 - "Please enter your password:"
 - 0xA17BC97A7E5F...FF67 (maybe a cryptographic key???)
- Split up in pieces.
- Xor with a constant.
- Avoid ever reconstituting the literal in cleartext! (What about printf?)
- Print each character one at a time?

Data encodings

54/82

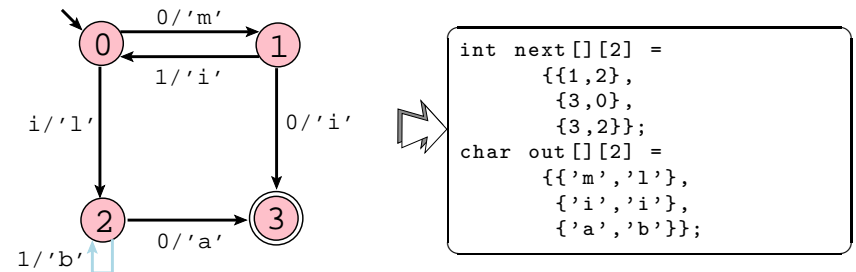
Convert literals to code — Mealy machine

- Encode the strings "MIMI" and "MILA" in a finite state transducer (a *Mealy machine*)
- The machine takes a bitstring and a state transition table as input and generates a string as output.
- Mealy(10₂) produces "MIMI".
- Mealy(110₂) produces "MILA".

Data encodings

55/82

Convert literals to code — Mealy machine



- $s_0 \xrightarrow{i/o} s_1$ means in state s_0 on input i transfer to state s_1 and produce an o .
- $\text{next}[\text{state}][\text{input}] = \text{next state}$
- $\text{out}[\text{state}][\text{input}] = \text{output}$

Data encodings

56/82

Mealy machine — table driven

```
char* mealy(int v) {
    char* str=(char*)malloc(10);
    int state=0, len=0;
    while (state!=3) {
        int input = 1&v; v >>= 1;
        str[len++]=out[state][input];
        state = next[state][input];
    }
    str[len]='\0';
    return str;
}
```

Data encodings

57/82

Mealy machine — hardcoded

```
char* mealy(int v) {
    char* str=(char*)malloc(10);
    int state=0, len=0;
    while (1) {
        int input = 1&v; v >>= 1;
        switch (state) {
            case 0: state=(input==0)?1:2;
                    str[len++]=(input==0)?'m':'l'; break;
            case 1: state=(input==0)?3:0;
                    str[len++]='i'; break;
            case 2: state=(input==0)?3:2;
                    str[len++]=(input==0)?'a':'b'; break;
            case 3: str[len]='\0'; return str;
        }
    }
}
```

Data encodings

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Outline

- 1 Introduction
- 2 Identifier renaming
- 3 Complicating control flow
 - Inserting bogus control-flow
 - Control-flow flattening
 - Opaque values from array aliasing
 - Jumps through branch functions
- 4 Opaque Predicates
 - Opaque predicates from pointer aliasing
- 5 Data encodings
- 6 Dynamic Obfuscation
 - Self-Modifying State Machine
 - Code as key material
- 7 Discussion

Dynamic Obfuscation

59/82

Static vs. Dynamic obfuscation

- Static obfuscations transform the code prior to execution.
- **Dynamic** algorithms transform the program **at runtime**.
- Static obfuscation counter attacks by static analysis.
- Dynamic obfuscation counter attacks by dynamic analysis.

Dynamic Obfuscation

60/82

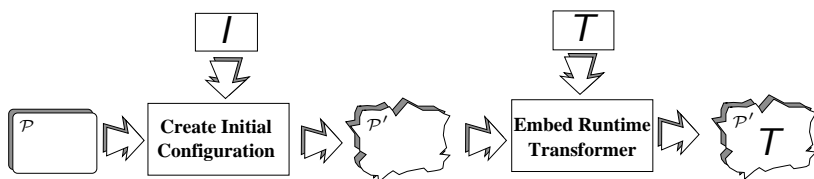
Static vs. Dynamic obfuscation

- Statically obfuscated code: the attacker sees *the same* mess every time.
- Dynamic obfuscated code: the execution path changes as the program runs.
- Some algorithms are “semi-dynamic” — they perform a small, constant number of transformations (often one) at runtime
- Some algorithms are *continuous*: the code is in constant flux.

Dynamic Obfuscation: Definitions

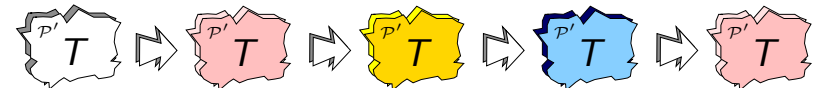
- A dynamic obfuscator runs in two phases:
 - 1 At **compile-time** transform the program to an initial configuration and add a **runtime code-transformer**.
 - 2 At **runtime**, intersperse the execution of the program with calls to the transformer.
- A dynamic obfuscator turns a “normal” program into a **self-modifying** one.

Modeling dynamic obfuscation — compile-time



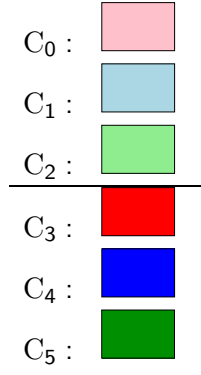
- Transformer I creates \mathcal{P} 's initial configuration.
- T is the runtime obfuscator, embedded in \mathcal{P}' .

Modeling dynamic obfuscation — runtime



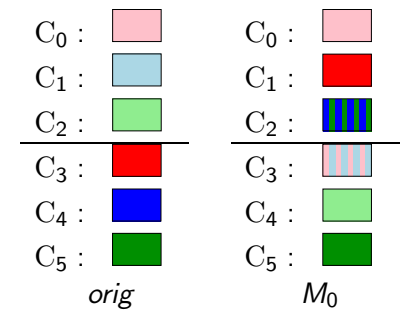
- Transformer T continuously modifies \mathcal{P}' at runtime.
- We'd like an infinite, non-repeating series of configurations.
- In practice, the configurations repeat.

Dynamic obfuscation: Aucsmith's algorithm

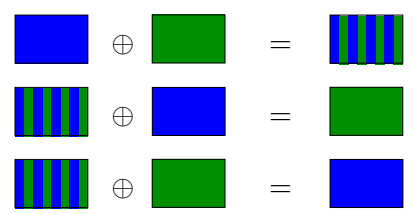


- A function is split into cells.
- The cells are divided into two regions in memory, upper and lower.

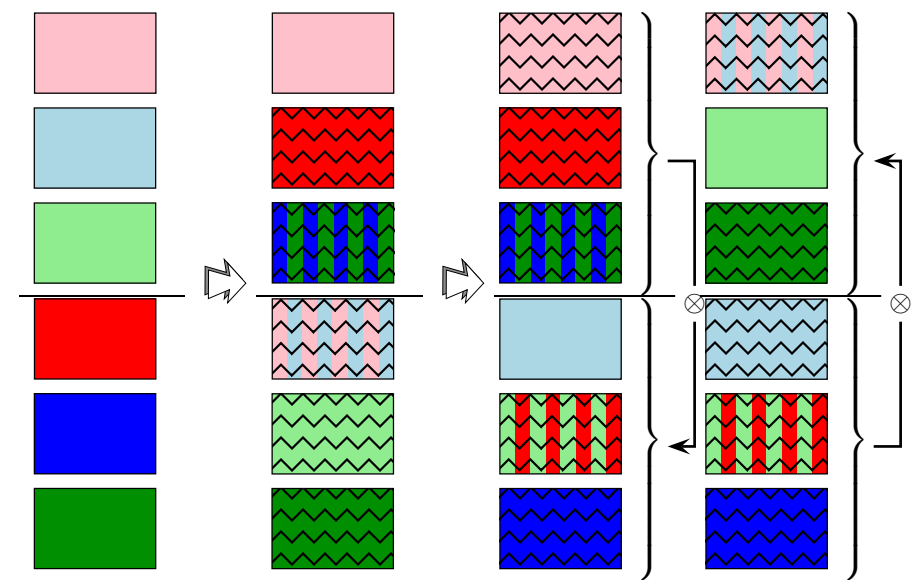
One step



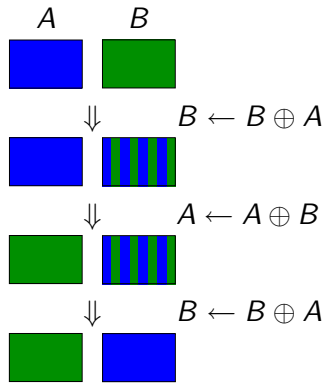
XOR!



The Dynamic Primitive — Aucsmith



Why does this work?



OBFCCKSP: Code as key material

- Encrypt the code to keep as little code as possible in the clear at any point in time during execution.
- Extremes:
 - 1 Decrypt the next instruction, execute it, re-encrypt it, ... \Rightarrow only one instruction is ever in the clear!
 - 2 Decrypt the entire program once, prior to execution, and leave it in cleartext. \Rightarrow easy for the adversary to capture the code.

OBFCCKSP: Code as key material

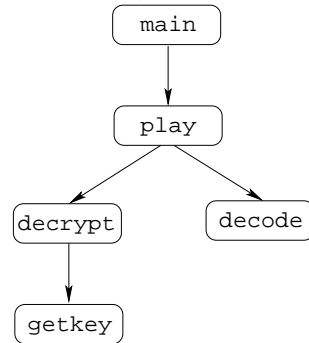
- The entire program is encrypted — except for `main`.
- Before you jump to a function you decrypt it.
- When the function returns you re-encrypt it.
- On entry, a function first encrypts its caller.
- Before returning, a function decrypts its caller.
- \Rightarrow At most two functions are ever in the clear!

OBFCCKSP: Code as key material

- What do we use as key? **The code itself!**
- What cipher do we use? **Something simple!**

OBFCKSP: Code as key material

- In the simplest case the call-graph is tree-shaped:



- Before and after every procedure call you insert calls to a guard function that decrypts/re-encrypts the callee, using a hash of the cleartext of the caller as key.
- On entrance and exit of the callee you encrypt/decrypt the caller using a hash of the cleartext of the callee as key.

```
int player_main (int argc, char *argv[]) {
    int user_key = 0xca7ca115;
    int digital_media[] = {10,102};
    guard(play,playSIZE,player_main,player_mainSIZE);
    play(user_key,digital_media,2);
    guard(play,playSIZE,player_main,player_mainSIZE);
}

int getkey(int user_key) {
    guard(decrypt,decryptSIZE,getkey,getkeySIZE);
    int player_key = 0xbabeca75;
    int v = user_key ^ player_key;
    guard(decrypt,decryptSIZE,getkey,getkeySIZE);
    return v;
}

int decrypt(int user_key, int media) {
    guard(play,playSIZE,decrypt,decryptSIZE);
    guard(getkey,getkeySIZE,decrypt,decryptSIZE);
    int key = getkey(user_key);
    guard(getkey,getkeySIZE,decrypt,decryptSIZE);
    int v = media ^ key;
    guard(play,playSIZE,decrypt,decryptSIZE);
    return v;
}
```

```
float decode (int digital) {
    guard(play,playSIZE,decode,decodeSIZE);
    float v = (float)digital;
    guard(play,playSIZE,decode,decodeSIZE);
    return v;
}

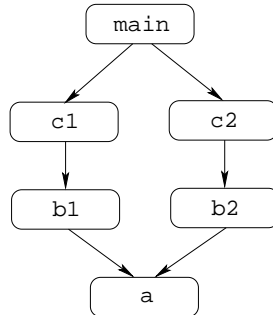
void play(int user_key, int digital_media[], int len) {
    int i;
    guard(player_main,player_mainSIZE,play,playSIZE);
    for(i=0;i<len;i++) {
        guard(decrypt,decryptSIZE,play,playSIZE);
        int digital = decrypt(user_key,digital_media[i]);
        guard(decrypt,decryptSIZE,play,playSIZE);

        guard(decode,decodeSIZE,play,playSIZE);
        printf("%f\n",decode(digital));
        guard(decode,decodeSIZE,play,playSIZE);
    }
    guard(player_main,player_mainSIZE,play,playSIZE);
}
```

```
void crypto (waddr_t proc,uint32 key,int words) {
    int i;
    for(i=1;i<words;i++) {
        *proc ^= key;
        proc++;
    }
}

void guard (waddr_t proc,int proc_words,
            waddr_t key_proc,int key_words) {
    uint32 key = hash1(key_proc,key_words);
    crypto(proc,key,proc_words);
}
```

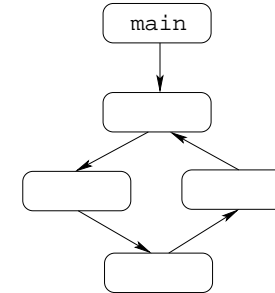
- So, what if the call-graph is shaped like a DAG, like this:



What key to use to decrypt a?

- We can't use the cleartext of the caller as key, because now there are two callers!
- Let the callers' callers(c1 and c2) do the decryption using a combination of the *ciphertexts* of b1 and b2.

- What if the program is recursive?



- Keep the entire cycle in cleartext. . . .

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Code Obfuscation — What's it Good For?

- **Diversification** — make every program unique to prevent malware attacks
- **Prevent collusion** — make every program unique to prevent diffing attacks
- **Code Privacy** — make programs hard to understand to protect algorithms
- **Data Privacy** — make programs hard to understand to protect secret data (keys)
- **Integrity** — make programs hard to understand to make them hard to change

- Many obfuscating transformations are built on some simple general operations:
 - Splitting/Merging
 - Duplication
 - Reordering
 - Mapping
 - Indirection
- Apply these basic operations to
 - Control structures
 - Data structures
 - Abstractions

- Static obfuscations confuse static analysis.
- Dynamic obfuscations confuse static and dynamic analysis.
 - the code segment is treated as code *and* data
- Dynamic algorithms generate self-modifying code. Bad for performance:
 - 1 flush instruction pipeline
 - 2 write data caches to memory
 - 3 invalidate instruction caches