

## CSc 520

# Principles of Programming Languages

## 20: Haskell — Exercises

Christian Collberg  
collberg@cs.arizona.edu

Department of Computer Science  
University of Arizona

Copyright © 2004 Christian Collberg

—Spring 2005—20

[1]

- Write a recursive function `begin xs ys` that returns true if `xs` is a prefix of `ys`. Both lists are lists of integers. Include the type signature.

```
> begin [] []
True
> begin [1] []
False
> begin [1,2] [1,2,3,4]
True
> begin [1,2] [1,1,2,3,4]
False
> begin [1,2,3,4] [1,2]
```

520—Spring 2005—20

[2]

# List Containment

- Write a recursive function `subsequence xs ys` that returns true if `xs` occurs anywhere within `ys`. Both lists are lists of integers. Include the type signature.
- Hint: reuse `begin` from the previous exercise.

```
> subsequence [] []
True
> subsequence [1] []
False
> subsequence [1] [0,1,0]
True
> subsequence [1,2,3] [0,1,0,1,2,3,5]
True
```

—Spring 2005—20

[3]

# Mystery

- Consider the following function:

```
mystery :: [a] -> [[a]]
mystery [] = [[]]
mystery (x:xs) = sets ++ (map (x:) sets)
                 where sets = mystery xs
```

- What would `mystery [1,2]` return? `mystery [1,2,3]`?
- What does the function compute?

520—Spring 2005—20

[4]

## foldr

- Explain what the following expressions involving `foldr` do:

1. `foldr (:) [] xs`
2. `foldr (:) xs ys`
3. `foldr ( \ y ys -> ys ++ [y] ) [] xs`

## shorter

- Define a function `shorter xs ys` that returns the shorter of two lists.

```
> shorter [1,2] [1]
[1]
> shorter [1,2] [1,2,3]
[1,2]
```

## stripEmpty

- Write function `stripEmpty xs` that removes all empty strings from `xs`, a list of strings.

```
> stripEmpty ["", "Hello", "", "", "World!"]
["Hello", "World!"]
> stripEmpty [""]
[]
> stripEmpty []
[]
```

## merge

- Write function `merge xs ys` that takes two ordered lists `xs` and `ys` and returns an ordered list containing the elements from `xs` and `ys`, without duplicates

```
> merge [1,2] [3,4]
[1,2,3,4]
> merge [1,2,3] [3,4]
[1,2,3,4]
> merge [1,2] [1,2,4]
[1,2,4]
```

# Data Types

- Consider the following type:  

```
data Shape = Circle Float |  
           Rectangle Float Float
```
- Define a function `shapeLength` that computes the length of the perimeter of a shape.
- Add an extra constructor to `Shape` for triangles.
- Define a function which decides whether a shape is regular: a circle is regular, a square is a regular rectangular, and being equilateral makes a triangle regular.

# Function Composition

- Rewrite the expression  

```
map f (map g xs)
```

so that only a single call to `map` is used

# Reduce

- Let the Haskell function `reduce` be defined by  

```
reduce f [] v = v  
reduce f (x:xs) v = f x (reduce f xs v)
```
- Reconstruct the Haskell functions `length`, `append`, `filter`, and `map` using `reduce`. More precisely, complete the following schemata (in the simplest possible way):  

```
mylength xs = reduce ___ xs ___  
myappend xs ys = reduce ___ xs ___  
myfilter p xs = reduce ___ xs ___  
mymap f xs = reduce ___ xs ___
```