

CSc 520

Principles of Programming Languages

33: Procedures — Scope

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[1]

Nested Subroutines

- Algol 60, Pascal, Ada, Modula-2, etc. allow procedures to be nested inside each other.
- **Closest nested scope rule:**
 - a name that is introduced in a declaration is known in the scope in which it is declared, and in each internally nested scope, unless it is hidden by another declaration of the same name.
 - To search for the declaration corresponding to a use of a name, we search outward from the current scope.
- Nested subroutines are able to access the parameters and local variables of surrounding scopes.

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Nested Subroutines...

```
procedure P1 (A1:T1);
var X : real;
  procedure P2 (A2: T3);
    procedure P3 (A3 : T3);
      begin (* body of P3 *) end;
  begin
    (* body of P2 *)
  end;
  procedure P4 (A4: T4);
    function F1 (A5 : T5);
      var X : integer;
      begin (* body of F1 *) end;
  begin
    (* body of P4 *)
  end;
begin
  (* body of P1 *)
end;
```

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Accessing Non-Local Variables

```
PROGRAM M;
  PROC P(n);
    LOCAL L;
    PROC Q(); BEGIN PRINT L; END Q;
  BEGIN
    L := n * 3;
    IF n >= 1 THEN P(n-1) ELSE Q() ENDIF;
  END P;
```

- Which L should Q print? There are three Ls on the stack to choose from!

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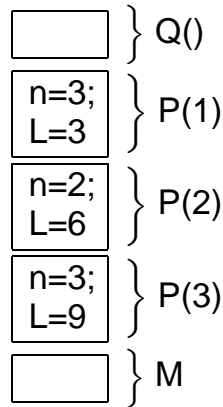
[4]

Accessing Non-Local Variables

```

BEGIN P(3); END M. PROGRAM M;
PROC P(n);
LOCAL L;
  PROC Q();
  BEGIN PRINT L; END Q;
BEGIN
  L := n * 3;
  IF n >= 1
  THEN P(n-1);
  ELSE Q();
  ENDIF;
END P;
BEGIN P(3); END M.

```



- Q should print the L from the topmost P on the stack.

Accessing Non-Local Variables...

```

PROCEDURE P (a:INTEGER);
VAR L : INTEGER;
  PROCEDURE Q (x:INTEGER);
  BEGIN R(16) END Q;

  PROCEDURE R (y:INTEGER);
  VAR G : INTEGER;
  PROCEDURE V (z:INTEGER);
  BEGIN Q(10) END V;
  BEGIN V(12) END R;

BEGIN Q (5); END P;

```

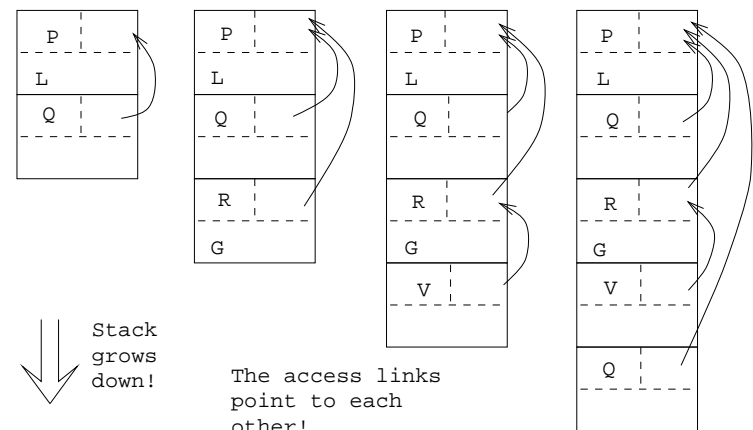
Accessing Non-Local Variables...

```

PROCEDURE P (a:INTEGER);
  PROCEDURE Q (x:INTEGER);
  PROCEDURE R (y:INTEGER);
    PROCEDURE V (z:INTEGER);

```

- We give each activation record an **Access Link** (aka **Static Link**).
- Assume that Q is nested within P (as above). Then Q's static link points to the activation record for the most recent activation of P.



Stack grows down!

The access links point to each other!

Accessing Non-Local Variables...

```
PROC P ();  
  VAR L:INTEGER;           ⇐  $n_L = 1$   
  PROC R ();  
    PROC V ();             ⇐  $n_R - n_L = 2$   
    BEGIN L:=...END V;     ⇐  $n_R = 3$ 
```

Access to non-local variable L:

- Assume that L is declared at nesting level n_L , and that the reference to L is at nesting level n_R (as above).
- Follow $n_R - n_L$ access links. We now point to the activation record for the most recent activation of P.

Accessing Non-Local Variables...

```
PROC P ();  
  VAR L:INTEGER;           ⇐  $n_L = 1$   
  PROC R ();  
    PROC V ();             ⇐  $n_R - n_L = 2$   
    BEGIN L:=...END V;     ⇐  $n_R = 3$ 
```

MIPS Example:

```
lw $2, AL($fp) # AL is offset of access link.  
lw $2, ($2)    # An access link points to  
               # the previous access link.  
lw $3, 12($2)  # Get the data in the AR.
```

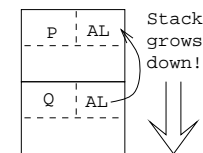
Setting up Access Links

- Every time we make a procedure call we have to set up the access link for the new procedure activation.
- There are two cases to consider:
 - when the callee is nested within the caller, and
 - when the caller is nested within the callee.

Setting up Access Links...

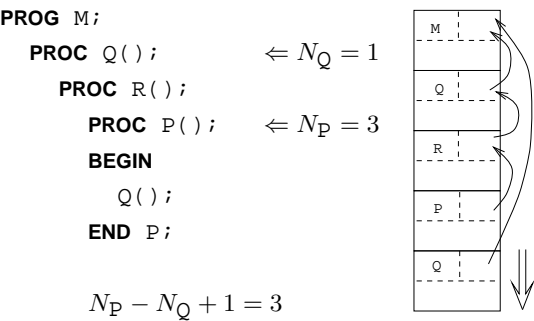
Case (1): Callee Within Caller:

```
PROC P ();           ⇐  $N_P = 1$   
  PROC Q ();         ⇐  $N_Q = 2$   
    PROC V ();  
    ...  
BEGIN Q (); END P;
```



- P calls Q. P is at level N_P , Q is at level N_Q . $N_P = N_Q - 1$, since Q must be nested immediately within P.
- Make Q's access link point to the access link in P's activation record.

Case (2): Caller Within Callee:



- P calls Q. P is at level N_P , Q is at level N_Q . $N_P \geq N_Q$.
- Traverse the access links to find the most recent activation of the first procedure which statically encloses both P and Q. We need to follow $N_P - N_Q + 1$ links.

- Read Scott, pp. 115–121, 427–433