

Inclusion Polymorphism

Consider the last two lines of the example in the following slide:

- In L<sub>1</sub>, S points to a Shape object, but it could just as well have pointed to an object of any one of Shape's subtypes, Square and Circle.
- If, for example, S had been a Circle, the assignment C := S would have been perfectly OK. In L<sub>2</sub>, however, S is a Shape and the assignment C := S is illegal (a Shape isn't a Circle).

### Inclusion Polymorphism

VAR S : Shape; Q : Square; C : Circle; BEGIN Q := NEW (Square); C := NEW (Circle); S := Q; (\* OK \*) S := C; (\* OK \*) Q := C; (\* Compile-time Error \*) L<sub>1</sub>: S := NEW (Shape); L<sub>2</sub>: C := S; (\* Run-time Error \*) END;

- TYPE T = CLASS ··· END; U = T CLASS ··· END; S = T CLASS ··· END; VAR t.r : T: u : U: s : S:
  - A variable of type T may refer to an object of T or one of T's subtypes.

Assignment	Compile-time	Run-Time
t := r;	Legal	Legal
t := u;	Legal	Legal
u := t;	Legal	Check
s := u;	Illegal	

\_\_\_\_\_\_ Modula-3 Type-test Primitives: \_\_\_\_\_\_ ISTYPE(object, T) Is object's type a subtype of T?

- NARROW(object, T) If object's type is not a subtype of T, then issue a run-time type error. Otherwise return object, typecast to T.
- TYPECASE Expr OF Perform different actions depending on the runtime type of Expr.
  - The assignment s := t is compiled into s := NARROW(t, TYPE(s)).

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Run-time Type Checking...

## Run-time Checks

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- The Modula-3 runtime-system has three functions that are used to implement typetests, casts, and the TYPECASE statement
- NARROW takes a template and an object as parameter. It checks that the type of the object is a subtype of the type of the template. If it is not, a run-time error message is generated. Otherwise, NARROW returns the object itself.
- ISTYPE(S,T : Template) : BOOLEAN;
- NARROW(Object, Template) : Object;
- TYPECODE(Object) : CARDINAL;

- - Casts are turned into calls to NARROW, when necessary:

```
VAR S : Shape; VAR C : Circle;
BEGIN
S := NEW (Shape); C := S;
END;
VAR S : Shape; VAR C : Circle;
BEGIN
S := malloc (SIZE(Shape));
C := NARROW(S, Circle$Template);
END;
```

 We follow the object's template pointer, and immediately (through the templates' parent pointers) gain access to it's place in the inheritance hierarchy.

```
PROCEDURE ISTYPE (S, T : TemplatePtr) : BOOLEAN;
BEGIN
LOOP
```

```
IF S = T THEN RETURN TRUE; ENDIF;
S := S<sup>*</sup>.parent;
IF S = ROOT THEN RETURN FALSE; ENDIF;
ENDLOOP
```

```
END ISTYPE;
```

 NARROW uses ISTYPE to check if S is a subtype of T. Of so, S is returned. If not, an exception is thrown.

```
PROCEDURE NARROW(T:TemplatePtr; S:Object):Object;
BEGIN
IF ISTYPE(S<sup>*</sup>.$template, T) THEN
RETURN S (* OK *)
ELSE WRITE "Type error"; HALT;
ENDIF;
END NARROW;
```

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Run-time Checks — Example

Run-time Checks — Example...





### Run-time Checks – An O(1) Algorithm

- The time for a type test is proportional to the depth of the inheritance hierarchy. Two algorithms do type tests in constant time:
  - Norman Cohen, "Type-Extension Type Tests can be Performed in Constant Time."
  - Paul F.Dietz, "Maintaining Order in a Linked List".

The second is more efficient, but requires the entire type hierarchy to be known. This is a problem in separately compiled languages.

- SRC Modula-3 uses Dietz' method and builds type hierarchies of separately compiled modules at link-time.
- These algorithms only work for single inheritance.

### \_\_\_\_ In the Compiler (or Linker): \_\_\_\_\_

- Build the inheritance tree.
- Perform a preorder traversal and assign preorder numbers to each node.
- Similarly, assign postorder numbers to each node.
- Store T's pre- and postorder numbers in T's template.

In the Runtime System:

### PROCEDURE ISTYPE (

S, T : TemplatePtr) : BOOLEAN; BEGIN RETURN (T.pre ≤ S.pre) AND (T.post ≥ S.post); END ISTYPE;

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### Run-time Checks – Alg. II (c)

### Run-time Checks - Alg. II (d)

- Consider U:
  - O U's pre-number is ≤ all it's children's pre numbers.
  - U's post-number is ≥ all it's children's post numbers.
  - [U.pre,U.post] "covers" (in the sense that U.pre  $\leq$  pre and U.post  $\geq$  post) the [pre,post] of all it's children.
- S is not a subtype of U since [U.pre,U.post] does not cover [S.pre,S.post] (S.post ≤ U.post but S.pre ≱ U.pre).



### TYPE T = CLASS [...]; U = T CLASS [...]; U = T CLASS [...]; V = U CLASS [...]; Y = U CLASS [...]; Y = U CLASS [...]; Z = U CLASS [...]; V = U CLASS [...]; Z = U CLASS [...]; V = U CLASS [...]; Z = U CLASS [...]; V = U CLASS [...]; Z = U CLASS [...]; V = U CLASS [...];V = U CLASS [...];

ISTYPE(Z,S)	$S.pre \leq Z.pre$	S.post≱Z.post
√ISTYPE(Z,T)	T.pre≤Z.pre	T.post2.post

### Inlining Methods

# **OO** Languages

- Consider a method invocation m.P(). The actual procedure called will depend on the run-time type of m.
- If more than one method can be invoked at a particular call site, we have to inline all possible methods. The appropriate code is selected code by branching on the type of m.
- To improve on method inlining we would like to find out when a call m.P() can call exactly one method.

### Inlining Methods...

Inlining Methods — Example



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### Type Hierarchy Analysis

- For each type T and method M in T, find the set S<sub>T,M</sub> of method overrides of M in the inheritance hierarchy tree rooted in T.
- If x is of type T, S<sub>T,M</sub> contains the methods that can be called by x.M().
- We can improve on type hierarchy analysis by using a variant of the Reaching Definitions data flow analysis.

```
 \begin{split} \text{TYPE } \mathbf{T} &= \text{CLASS } \Box \left[ \begin{array}{c} & \\ & \text{METHOD } \mathsf{M} \end{array} \right); \text{ BEGIN END } \mathsf{M}; \right]; \\ \text{TYPE } \mathbf{S} &= \text{CLASS EXTENDS } \mathbf{T} \ \Box \left[ \begin{array}{c} & \\ & \\ & \text{METHOD } \mathsf{N} \end{array} \right); \text{ BEGIN END } \mathsf{N}; \\ & \text{METHOD } \mathsf{M} \end{array} \right); \text{ BEGIN END } \mathsf{M}; ]; \\ \text{VAR } \mathbf{x} : \mathbf{T}; \mathbf{y} : \mathbf{S}; \\ \text{BEGIN} \\ & \mathbf{x}.\mathsf{M}(\mathsf{S}); \Leftarrow S_{T,M} = \{T.M, S.M\} \\ & \mathbf{y}.\mathsf{M}(\mathsf{S}); \Leftarrow S_{S,M} = \{S.M\} \\ \text{END}; \end{split}
```



### Confused Student Email

What happens when both a class and its subclass have an instance variable with the same name?

 The subclass gets both variables. You can get at both of them, directly or by casting. Here's an example in Java:

```
class C1 {int a;}
class C2 extends C1 {double a;}
class C {
    static public void main(String[] arg) {
        C1 x = new C1(); C2 y = new C2();
        x.a = 5; y.a = 5.5;
        ((C1)y).a = 5;
    }
}
```