# CSc 553

Principles of Compilation

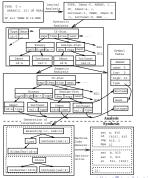
4 : Intermediate Code

### Department of Computer Science University of Arizona

# Introduction

collberg@gmail.com

Copyright © 2011 Christian Collberg



### Intermediate Representations

- Some compilers use the AST as the only intermediate representation. Optimizations (code improvements) are performed directly on the AST, and machine code is generated directly from the AST.
- The AST is OK for machine-independent optimizations, such as inlining (replacing a procedure call with the called procedure's code).
- The AST is a bit too high-level for machine code generation and machine-dependent otpimizations.
- For this reason, some compilers generate a lower level (simpler, closer to machine code) representation from the AST. This representation is used during code generation and code optimization.

### Intermediate Code I

### Intermediate Code II

Advantages of:

- Fitting many front-ends to many back-ends,
- Different development teams for front- and back-end,
- Debugging is simplified,
- Optimization.

\_ Requirements: \_\_\_

- Architecture independent,
- Language independent,
- Easy to generate,
- Easy to optimize,
- Seasy to produce machine code from.

A representation which is both architecture and language independent is known as an UNCOL, a Universal Compiler Oriented Language.

Postfix Notation

- UNCOL is the holy grail of compiler design many have search for it, but no-one has found it. Problems:
  - Programming language semantics differ from one language to another,
  - Ø Machine architectures differ.
- There are several different types of intermediate representations:
  - Tree-Based.
  - Graph-Based.
  - Tuple-Based
  - Linear representations.
- All representations contain the same information. Some are easier to generate, some are easy to generate simple machine code from, some are easy to generate good code from.

### Postfix Notation



- Postfix notation is a parenthesis free notation for arithmetic expression. It is essentially a linearized representation of an abstract syntax tree.
- In postfix notation an operator appears after its operands.
- Very simple to generate, very compact, easy to generate straight-forward machine code from, difficult to generate good machine code from.

ALC: 121 121 2 990

9.00 \$ 15 15 15 15 19 00 C

# Tree & DAG Representations

- Trees make good intermediate representations. We can represent the program as a sequence of expression trees. Each assignment, procedure call, or jump becomes one individual tree in the forest.
- Common Subexpression Ellimination (CSE): Even if the same (sub-) expression appears more than once in a procedure, we should only compute its value once, and save the result for future reference.
- One way of doing this is to build a graph representation, rather than a tree. In the following slides we see how the expression a + 2 gets two subtrees in the tree representation and one subtree in the DAG representation.

#### Tree & DAG Repr. II Tree & DAG Repr. III b := (a \* 2) + (a \* 2)b := (a \* 2) + (a \* 2)assign assign Linearized Tree NR OP Arg<sub>1</sub> Arg<sub>2</sub> Linearized DAG ident а 2 Arg<sub>1</sub> Arg<sub>2</sub> 2 NR OP int 3 mul 1 ident а 4 ident а int 2 5 int mul 1 2 6 mul 4 5 4 add 3 3 7 add 3 ident 5 b 8 ident b assign 5 4 9 assign 8 > -00 G くロン 人間と 人名と 人名と

#### 

Three-Address Code I

### Three-Address Code II

 if x relop y goto L
 Conditional jump. relop is one of <,>,<=,</td>

 etc. If x relop y evaluates to True, then jump to label L. Otherwise continue with the next tuple.

 param X
 Call P, n

 Make X the next parameter; make a procedure call to P with n parameters.

 x := y[i]
 Indexed assignment. Set x to the value in the location i memory units beyond y.

 x := ADDR(y)
 Address assignment. Set x to the value stored at the address in y.

 IND(x) := y
 Indirect assignment. Set the memory location pointed to by x to the value held by y.

### Three-Address Code III

 Many three-address statements (particularly those for binary arithmetic) consist of one operator and three addresses (identifiers or temporaries):

b := (a * 2) + (a * 2)						
$t_1$	:=	a	mul	2		
$t_2$	:=	a	mul	2		
$t_3$	:=	$t_1$	add	$t_2$		
b	:=	$t_3$				

- There are several ways of implementing three-address statements. They differ in the amount of space they require, how closely tied they are to the symbol table, and how easily they can be manipulated.
- During optimization we may want to move the three-address statements around.

\_\_ Quadruples: \_\_\_\_\_

- Quadruples can be implemented as an array of records with four fields. One field is the operator.
- The remaining three fields can be pointers to the symbol table nodes for the identifiers. In this case, literals and temporaries must be inserted into the symbol table.

	]			
NR	Res	Op	Arg1	$\operatorname{ARG}_2$
(1)	$t_1$	mul	a	2
(2)	t <sub>2</sub>	mul	a	2
(3)	t <sub>3</sub>	add	$t_1$	$t_2$
(4)	$t_1$	assign	Ъ	t <sub>3</sub>

Triples:

- Triples are similar to quadruples, but save some space.
- Instead of each three-address statement having an explicit result field, we let the statement itself represent the result.
- . We don't have to insert temporaries into the symbol table.

b := (a * 2) + (a * 2)						
NR	Op	$ARG_1$	$\operatorname{ARG}_2$			
(1)	mul	a	2			
(2)	mul	a	2			
(3)	add	(1)	(2)			
(4)	assign	b	(3)			

(D) (B) (S) (S) (S) (S)

### Three-Address Code VI

\_\_ Indirect Triples: \_\_\_\_\_

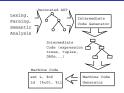
- One problem with triples ("The Trouble With Triples?"<sup>a</sup>) is that the around. We may want to do this during optimization.
- . We can fix this by adding a level of indirection, an array of pointers

"This is a joke. It refers to the famous Star Trek episode "The Trouble With Tribbl

			b :=	(a * 2)	+ (a * 2)
Abs	Real	NR	Op	$\operatorname{Arg}_1$	$\operatorname{Arg}_2$
(1)	(10)	(11)	mul	a	2
(2)	(11)	(12)	mul	a	2
(3)	(12)	(13)	add	(11)	(12)
(4)	(13)	(14)	:=	b	(13)

# Intermediate Code Generation

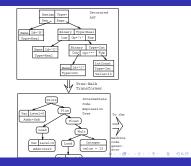
### Generating Expression Trees



- After semantic analysis we traverse the AST and emit the correct intermediate code.
- The next slide shows how an expression tree is generated from an AST. The float can easily be inserted since all types are known in the AST.

(#) (2) (2) 2 OAO

101 (B) (S) (S) (S) (S)



# Generating Quadruples I

END:

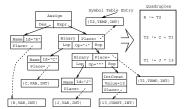
Tree-Walk Transformer:

```
PROCEDURE Program (n: Node);
Decl(n.DeclSeq); Stat(n.StatSeq);
END;
PROCEDURE Decl (n: Node);
IF n.Kind = ProcDecl THEN
Decl(n.Locals); Decl(n.Next);
Stat(n.StatSeq);
ENDIF
```

## Generating Quadruples II

```
    NewTemp generates a new temporary var.

PROCEDURE Stat (n: Node):
 IF n.Kind = Assign THEN
    Expr(n.Des); Expr(n.Expr);
    Emit(n.Des.Place ':=' n.Expr.Place);
    Stat(n.Next):
 ENDIE
END:
PROCEDURE Expr (n: Node);
 TF n.Kind = Add THEN
    Expr(n.LOP); Expr(n.ROP);
   n.Place := NewTemp();
    Emit(n.Place ':='
      n.LOP.Place '+' n.ROP.Place);
 ELSIF n.Kind = VarRef THEN
                                     100 (B) (2) (2) (2) (2) (2) (0)
    n Place := n Symbol:
```



# Attribute Grammar Notation

ロト・ボト・ミト・ミト きょうへい

### Attribute Grammar Notation I

- The book uses a convenient way to describe attribute computations, called an attribute grammar notation.
- We simply combine the abstract syntax notation with the attribute computations that have to be performed at the corresponding AST nodes:

```
A ::= B C
{ C.d := B.c + 1;
A.b := A.a + B.c; }
```

 Note that it is not directly obvious from this notation which attributes are synthesized and inherited, and in which order the nodes should be visited. We have to figure this out ourselves!

### Attribute Grammar Notation II

Now we can rewrite our tuple generator using the new notation:

#### Assign ::= Des:Expr Expr:Expr

```
{ Emit(n.Des.Place ':=' n.Expr.Place);
}
```

```
Add ::= LOP:Expr ROP:Expr
{    n.Place := NewTemp();
    Emit(n.Place ':='
    n.LOP.Place '+' n.ROP.Place);
  }
```

```
Name ::= Ident
{ n.Place := n.Symbol; }
```

### Building DAGs I

· From an expression/expression tree such as this one:



• We might generate this machine code (for some fictious architecture):

LOAD	b, r0
LOAD	c, r1
ADD	r0, r1, r2
LOAD	a, r3
MUL	r2, r3, r4

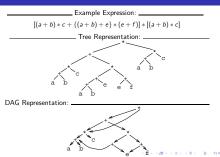
# Building DAGs

### Building DAGs II



	Generating	machine	code fror	n the tre	ee yields	21	instructions.
--	------------	---------	-----------	-----------	-----------	----	---------------





### Building DAGs IV

### Building DAGs V

• Generating machine code from the DAG yields only 12 instructions.

		Code from DAG		
LOAD	a, r0	; a		
LOAD	b, r1	; b		
ADD	r0, r1, r2	; a+b		
LOAD	c, r0	; c		
MUL	r0, r2, r3	; (a + b) * c		
LOAD	e, r4	; e		
ADD	r4, r2, r1	; (a + b) + e		
LOAD	f, rO	; f		
ADD	r0, r4, r0	; f + e		
MUL	r1, r0, r0			
ADD	r0, r3, r0			
MUL	r0, r3, r0		(0) (8) (2) (3) 3	200
			3 131131131131	-540

Building DAGs VI - Example

• Repeatedly add subtrees to build DAG. Only add subtrees not already in DAG. Store subtrees in a hash table. This is the

value-number algorithm.

For every insertion of a subtree, check in (X OP Y)  $\in$  DAG.

PROCEDURE InsertNode (
 OP : Operator; L, R : Node) : Node;

#### BEGIN

V := hashfunc (OP, L, R); N := HashTab.Lookup (V, OP, L, R);

IF N = NullNode THEN

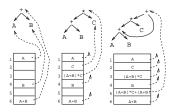
N := NewNode (OP, L, R);

HashTab.Insert (V, N);

### END;

RETURN N;





Summary

### Summary I

#### Read the Tiger book:

Translation to Intermediate Code Chapter 7.

 Or, read the Dragon book: Postfix notation 33 DAGs & Value Number Alg. 290–293 Intermediate Languages 463–468, 470–473 Assignment Statements 478–481

- We use an intermediate representation of the program in order to isolate the back-end from the front-end.
- A high-level intermediate form makes the compiler retargetable (easily changed to generate code for another machine). It also makes code-generation difficult.
- A low-level intermediate form make code-generation easy, but our compiler becomes more closely tied to a particular architecture.

### 0.00 CONTRACTOR (0.00) Homework I Translate the program below into quadruples, triples, and a 'sequence of expression trees.' PROGRAM P: VAR X : INTEGER: Homework VAR Y : REAL: REGIN X := 1: Y := 5.5: WHILE X < 10 DO Y := Y + FLOAT(X);X := X + 1;IF Y > 10 THEN Y := Y \* 2.2;ENDIF; ENDDO;

FND

101 100 101 101 101 101 101 101

100 B 100 100 100 100 100 100

### Homework II

Consider the following expression:

((x \* 4) + y) \* (y + (4 \* x)) + (z \* (4 \* x))

- Show how the value-number algorithm builds a DAG from the expression (remember that + and \* are commutative).
- Show the resulting DAG when stored in an array.
- Translate the expression to postfix form.
- Translate the expression to indirect triple form.